

**Teaching Plan**  
**Department of Mathematics**  
**Session: 2022-23(Jan-Jun)**

**Name of the Teacher: Dr. Abhijit Mukherjee**  
**BA. 4<sup>th</sup> Semester(Hons: Mathematics)**

**Allotted Paper: C 4.2 (Riemann Integration and Series of Functions)**

Objective: After going through this course the students will be able to describe:

- 1) Riemann integration, improper integrals
- 2) Differentiation and integration of power series

| Paper/Unit | Detailed Teaching Plan   | Teaching Hours Required |
|------------|--|-------------------------|
| Unit-I     | 1. Riemann Integration   | 2                       |
|            | 2. Inequalities of Upper and Lower Sums  | 4                       |
|            | 3. Riemann Conditions of Integrability   | 2                       |
|            | 4. Tutorial  | 2                       |
| Unit-II    | 1. Riemann sum and definition of Riemann integral through Riemann sums                                     | 3                       |
|            | 2. Equivalence of two definitions  | 2                       |
|            | 3. Riemann integrability of monotone and continuous functions  | 4                       |
|            | 4. Properties of the Riemann integral  | 4                       |
|            | 5. Definition and Integrability of piecewise continuous and monotone functions                             | 3                       |
|            | 6. Intermediate Value theorem for Integrals  | 3                       |
|            | 7. Fundamental Theorems of Calculus.   | 3                       |
|            | 8. Tutorial  | 3                       |
| Unit-III   | 1. Improper integrals  | 3                       |
|            | 2. Convergence of Beta and Gamma functions   | 5                       |
|            | 3. Tutorial  | 2                       |
| Unit-IV    | 1. Pointwise and uniform convergence of sequence of functions  | 3                       |
|            | 2. Theorems on continuity, derivability and integrability of the limit function of a sequence of functions | 5                       |
|            | 3. Series of functions   | 2                       |
|            | 4. Theorems on the continuity and derivability of the sum function of a series of functions                | 4                       |
|            | 5. Cauchy criterion for uniform convergence  | 4                       |
|            | 6. Weierstrass M-Test  | 4                       |
|            | 7. Tutorial  | 3                       |
| Unit-V     | 1. Limit superior and Limit inferior   | 2                       |
|            | 2. Power series, radius of convergence   | 3                       |
|            | 3. Cauchy Hadamard Theorem   | 2                       |
|            | 4. Differentiation and integration of power series   | 5                       |
|            | 5. Abel's Theorem  | 2                       |
|            | 6. Weierstrass Approximation Theorem   | 3                       |
|            | 7. Tutorial  | 2                       |

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**BA. 4<sup>th</sup> Semester(Generic: Mathematics)**  
**Allotted Paper: DSC-1D (Algebra)**

Objective: After going through this course the students will be able to:

- 1) Describe various algebraic structures on sets;
- 2) Identify the algebraic structures present in different branches of Sciences

| Paper/Unit | Detailed Teaching Plan   | Teaching Hours Required |
|------------|--|-------------------------|
| Unit-I     | 1. Definition and examples of groups   | 3                       |
|            | 2. examples of abelian and non-abelian groups  | 2                       |
|            | 3. the group $Z_n$ of integers under addition modulo $n$   | 2                       |
|            | 4. the group $U(n)$ of units under multiplication modulo $n$   | 2                       |
|            | 5. Cyclic groups from number systems   | 3                       |
|            | 6. complex roots of unity  | 2                       |
|            | 7. circle group, the general linear group $GL_n(n, \mathbb{R})$  | 3                       |
|            | 8. groups of symmetries of (i) an isosceles triangle, (ii) an equilateral triangle, (iii) a rectangle, and (iv) a square | 5                       |
|            | 9. the permutation group symmetric groups  | 4                       |
|            | 10. Group of quaternions   | 2                       |
|            | 11. Tutorial   | 2                       |

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**Session: 2022-23(Jan-Jun)**  
**Name of the Teacher: Dr. Abhijit Mukherjee**  
**BA, 6<sup>th</sup> Semester(Hons: Mathematics)**

**Allotted Paper: C 6.1 (Metric Spaces and Complex Analysis)**

Objective: After going through this course the students will be able to describe:

- 1) Various properties of metric space
- 2) Complex Number System, its differentiation and integration

| Paper/Unit | Detailed Teaching Plan   | Teaching Hours Required |
|------------|--|-------------------------|
| Unit-I     | 1. Definition and Examples of Metric Spaces  | 3                       |
|            | 2. Sequences in Metric Space, Cauchy Sequence  | 3                       |
|            | 3. Complete Metric Spaces, Open and Closed Balls   | 4                       |
|            | 4. Neighbourhood, Open set, Limit Point, Interior of a Set, Closed Set, Diameter of a Set.             | 2                       |
|            | 5. Cantor's theorem  | 2                       |
|            | 6. Subspaces, Dense Set, Separable spaces  | 4                       |
|            | 7. Tutorial  | 2                       |
| Unit-II    | 1. Continuous mapping, Sequential criterion, Characterization of Continuity.                           | 3                       |
|            | 2. Uniform Continuity, Homeomorphism, Contracting mapping.   | 3                       |
|            | 3. Compactness, Banach Fixed Point theorem.  | 3                       |
|            | 4. Connectedness, Connected subset of R.   | 4                       |
|            | 5. Tutorial  | 2                       |
| Unit-III   | 1.Limits, Limits involving the point at infinity, Continuity.  | 5                       |
|            | 2. Properties of Complex number, Regions in the Complex Plane, Functions of Complex variable, Mapping. | 6                       |
|            | 3. Derivatives, Differentiation formulas, C-R Equations, Sufficient conditions of integrability.       | 7                       |
|            | 4. Tutorial  | 2                       |
| Unit-IV    | 1. Analytic function, Examples of Analytic Function.   | 2                       |
|            | 2. Exponential function, Logarithmic function, Trigonometric function.                                 | 2                       |
|            | 3. Derivatives of functions, Definite integral of functions.   | 3                       |
|            | 4. Contour, Contour integrals and its examples.  | 3                       |
|            | 5. Cauchy-Goursat theorem, Cauchy Integral formula.  | 3                       |
|            | 6. Tutorial  | 2                       |
| Unit-V     | 1. Liouville's theorem, Fundamental theorem of Algebra.  | 2                       |
|            | 2. Convergence of Sequences and Series.  | 3                       |
|            | 3. Taylor's theorem and examples.  | 3                       |
|            | 4. Tutorial  | 2                       |
| Unit-VI    | 1. Laurent's series and examples   | 4                       |
|            | 2. Absolute & Uniform convergence of Power Series  | 4                       |
|            | 3. Tutorial  | 2                       |

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**BA. 6<sup>th</sup> Semester(Hons: Mathematics)**  
**Allotted Paper: DSE 4.1 (Mathematical Methods)**

Objective: After going through this course the students will be able to:

- 1) Construct mathematical models for real world problems
- 2) Solve real world problems through studied theories

| Paper/Unit | Detailed Teaching Plan  | Teaching Hours Required |
|------------|---|-------------------------|
| Unit-I     | 1. Fourier series, Dirichlet's condition  | 6                       |
|            | 2. Fourier series for Even & Odd functions  | 6                       |
|            | 3. Half range Fourier series  | 6                       |
|            | 4. Tutorial   | 2                       |
| Unit-II    | 1. Definition of L.T., Existence theorem for L.T                                    | 2                       |
|            | 2. Linearity property of L.T & L.T of some elementary functions.                    | 2                       |
|            | 3. Shifting theorems & Change of Scale properties.                                  | 5                       |
|            | 4. L.T of derivatives & Integrals   | 4                       |
|            | 5. Tutorial   | 2                       |
| Unit-III   | 1. Inverse L.T and its properties   | 5                       |
|            | 2. Shifting theorems, Scale properties.   | 7                       |
|            | 3. Convolution theorem  | 6                       |
|            | 4. Tutorial   | 2                       |
| Unit-IV    | 1. Definition of F.T, Dirichlet's conditions, Inverse F.T.                          | 5                       |
|            | 2. Fourier Sine & Cosine transform & their inversion formula                        | 6                       |
|            | 3. Linearity property, Scale property and Shifting property.                        | 6                       |
|            | 4. Modulation theorem and Convolution theorem.                                      | 2                       |
|            | 5. Tutorial   | 1                       |
| Unit-V     | 1. Solution of Boundary value problems & Initial value problems in 1D and 2D cases. | 6                       |
|            | 2. Solution of Laplace & Poisson equations in 2D cases.                             | 6                       |
|            | 3. Tutorial   | 3                       |